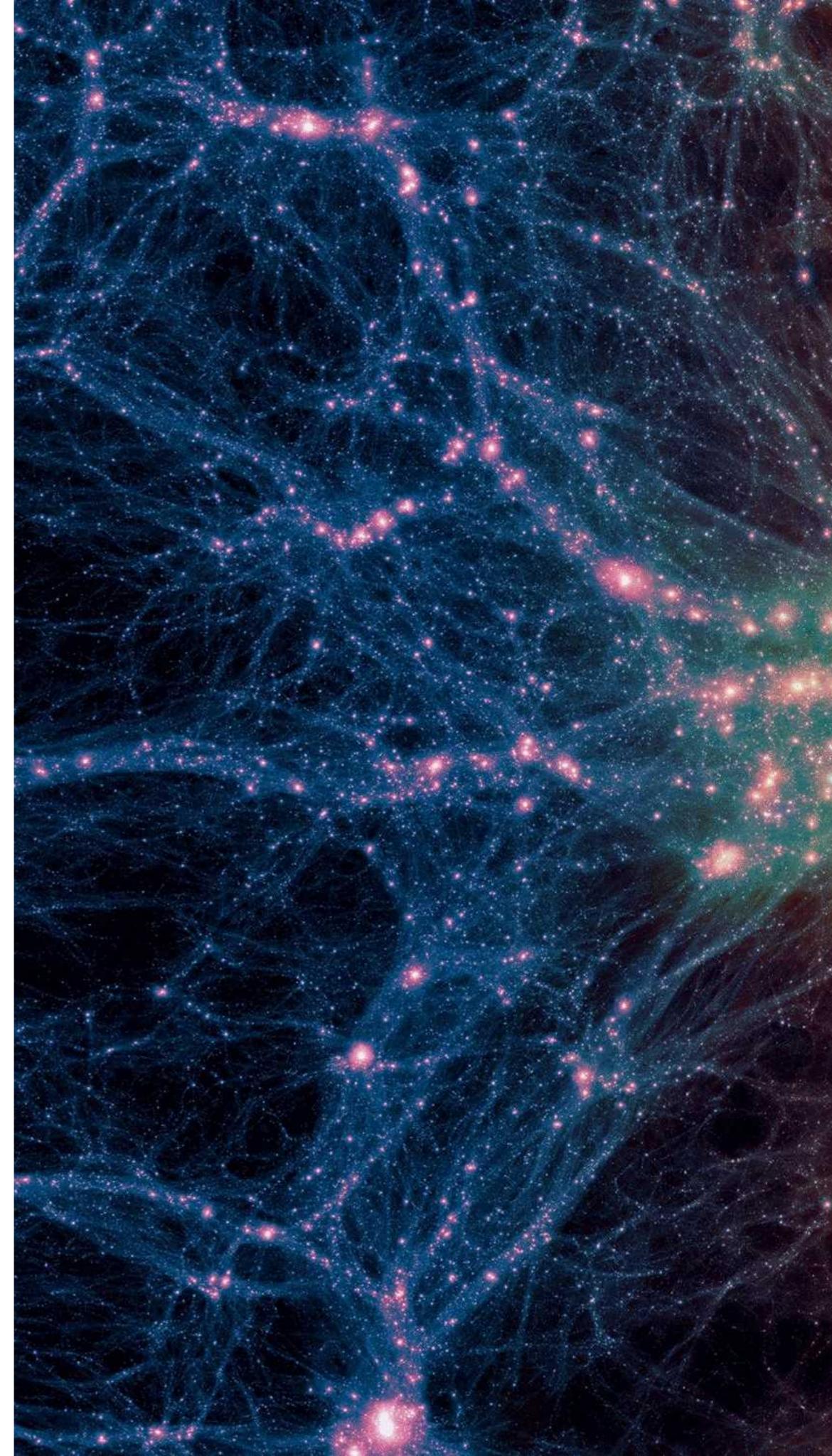


COSMOLOGICAL SIMULATIONS FOR LARGE GALAXY SURVEYS

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LARGE SCALE STRUCTURE SURVEYS: WHY WE NEED SIMULATIONS

- Non-linear regime of structure collapse
- Bayesian data analysis:

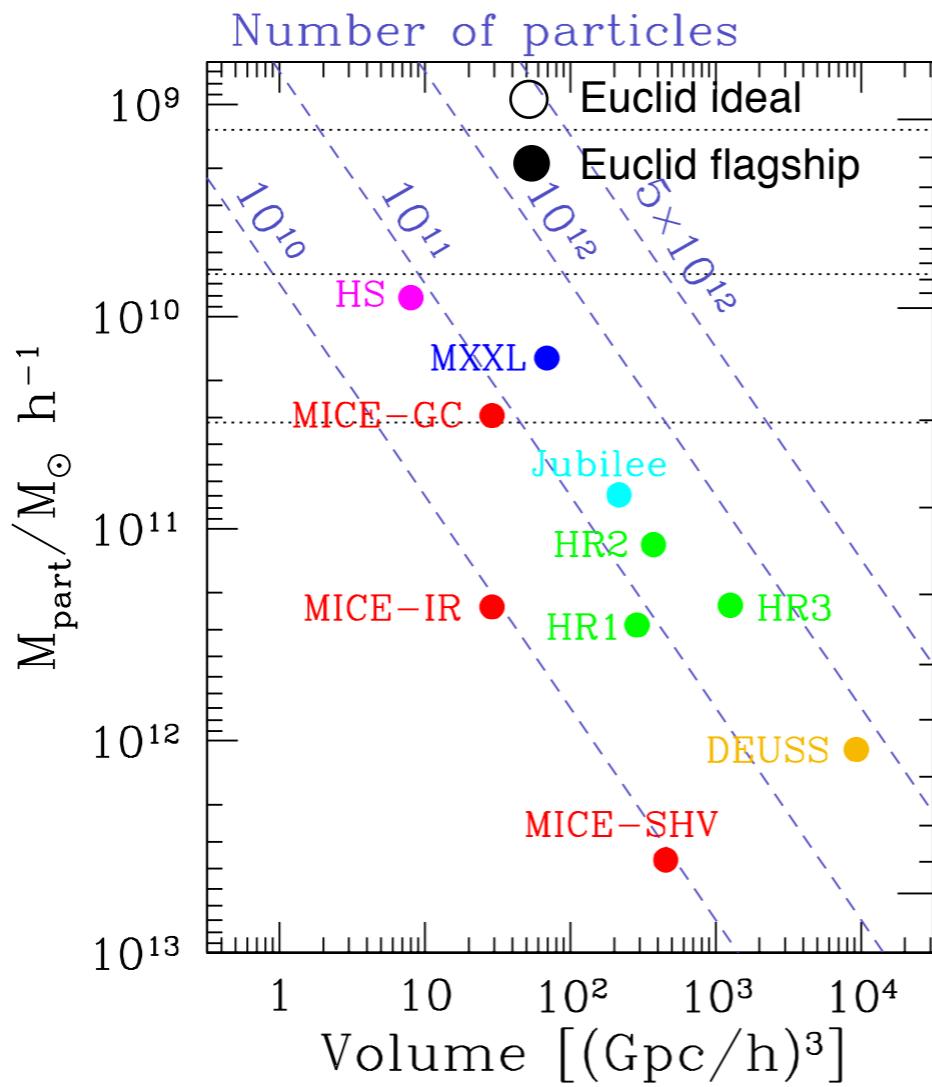
$$P(\boldsymbol{\theta}|\mathbf{D}, M) = \frac{P(\mathbf{D}|\boldsymbol{\theta}, M) P(\boldsymbol{\theta}|M)}{P(\mathbf{D}|M)}$$

$\boldsymbol{\theta}$ parameters
 \mathbf{D} data
 M model

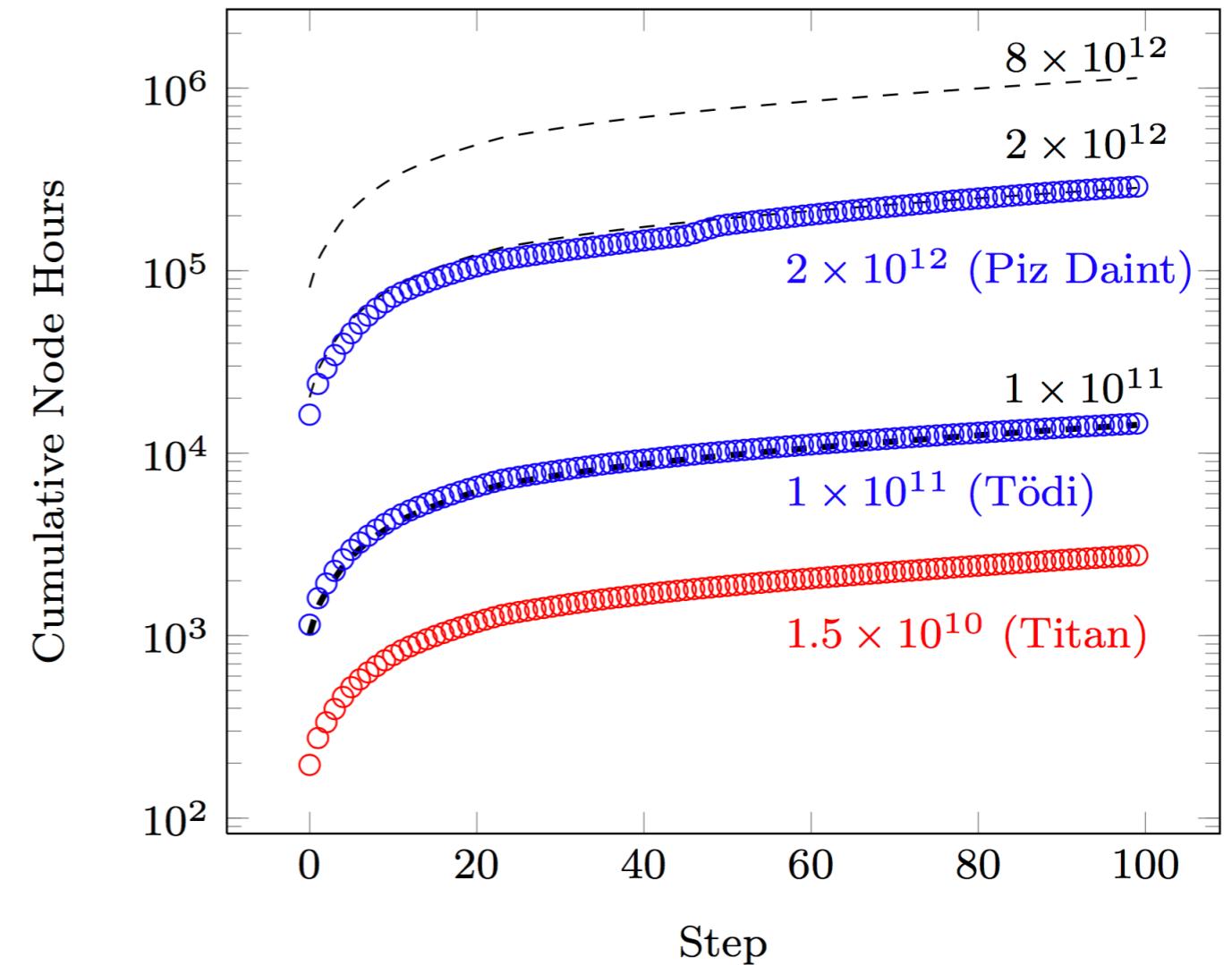
$$P(\mathbf{D}|\boldsymbol{\theta}, M) \propto \exp \left(-\frac{1}{2} \sum_{ij} (D_i - D_M) cov_{ij}^{-1} (D_j - D_M) \right)$$

- Models need simulations to calibrate/validate
- Galaxy mock catalogues to understand observational systematics

COSMOLOGICAL SIMULATIONS: COMPUTATIONAL COST



Fosalba et al. 2015



Potter, Stadel, Teyssier 2016

Flagship used the entire supercomputer, at the time in the top 10 in computing power

COSMOLOGICAL SIMULATIONS: COMPUTATIONAL COST

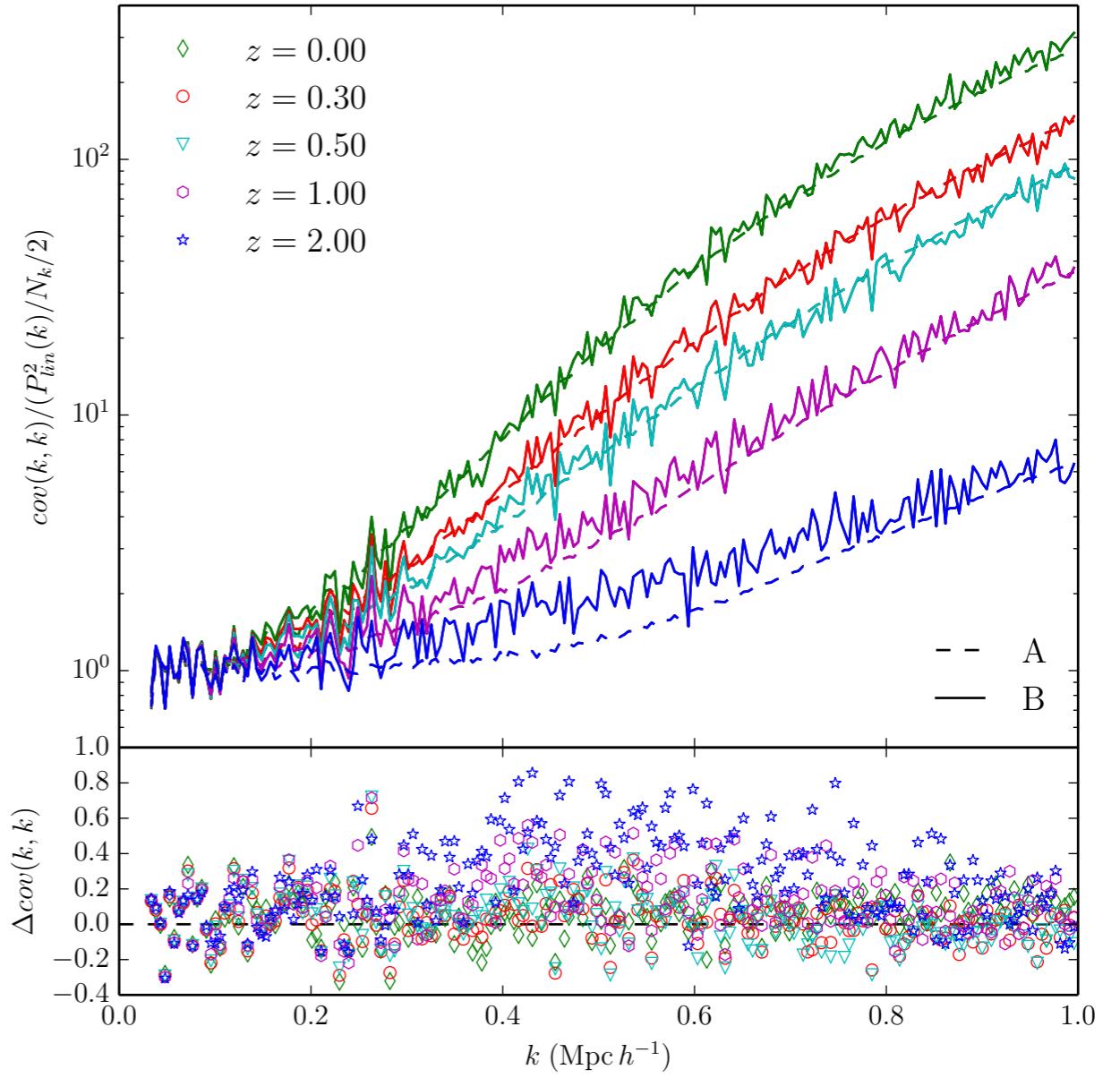
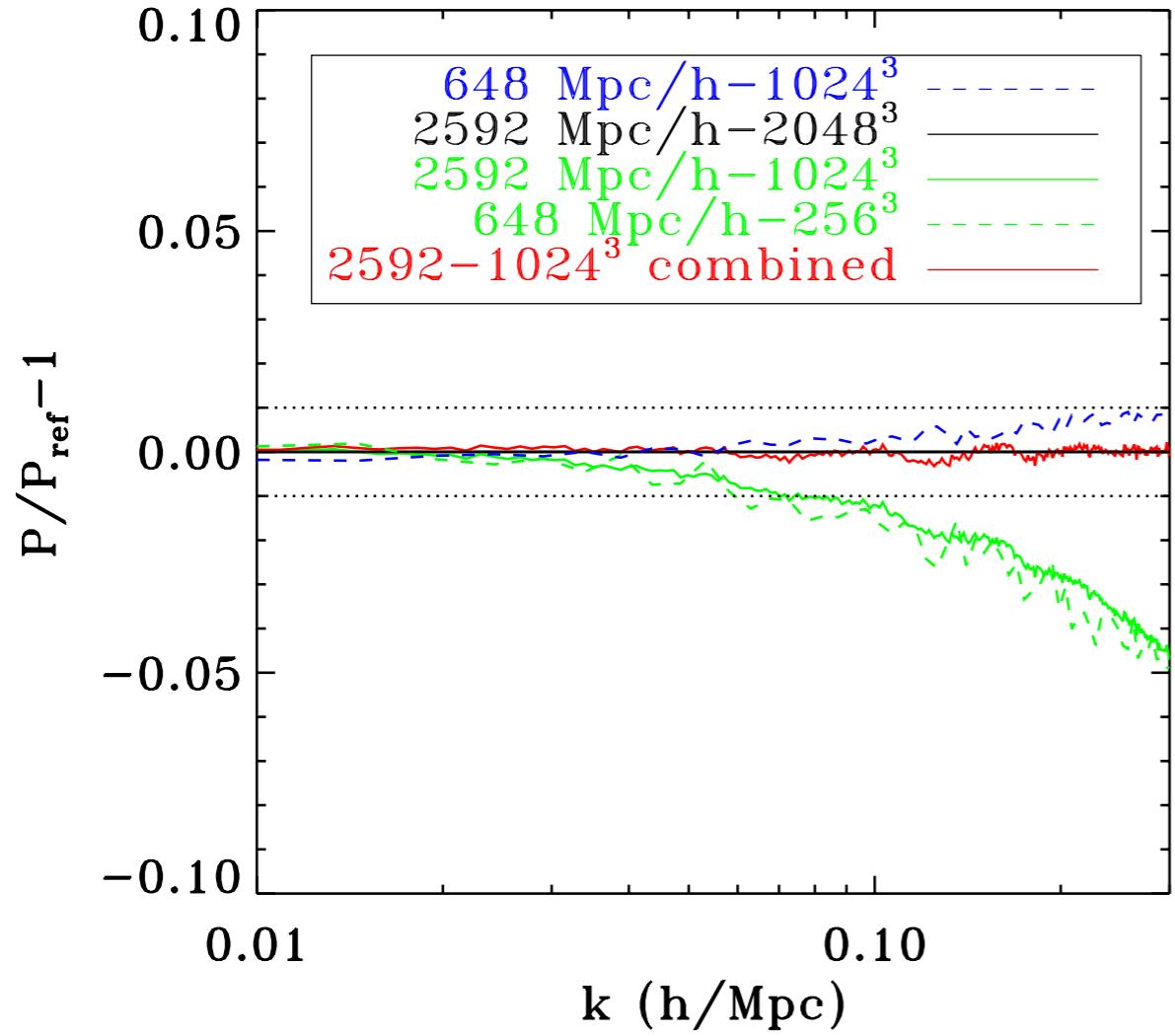
- 40 Billion halos, 5.5 Tb of data only for halos in the LC!
- With no observational cuts applied, the data is split into 20 Tb and 60 Billion galaxies, each with more than 200 properties

Big data

COSMOLOGICAL SIMULATIONS: COMPUTATIONAL COST

- 40 Billion halos, 5.5 Tb of data only for halos in the LC!
- With no observational cuts the data is split into 20 Tb and 60 Billion galaxies, each with more than 200 properties
- Required a paradigm shift:
 - Challenging for standard relational databases ⇒ big data platform
 - Set of python codes optimised to work on this platform

NUMERICAL SYSTEMATICS



Rasera et al. 2014

Blot et al. 2015

APPROXIMATE METHODS FOR COVARIANCE ESTIMATION

$$\text{cov}(k_1, k_2) = \frac{2}{N_{k_1}} P^2(k_1) \delta_{k_1, k_2} + \frac{1}{V} \int_{\Delta_{k_1}} \int_{\Delta_{k_2}} \frac{d^3 \mathbf{k}'_1}{V_{k_1}} \frac{d^3 \mathbf{k}'_2}{V_{k_2}} T(\mathbf{k}'_1, -\mathbf{k}'_1, \mathbf{k}'_2, -\mathbf{k}'_2)$$

- Sample covariance estimator

$$\widehat{\text{cov}}(k_1, k_2) = \frac{1}{N_s - 1} \sum_{i=1}^{N_s} [\hat{P}_i(k_1) - \bar{P}(k_1)][\hat{P}_i(k_2) - \bar{P}(k_2)]$$

- Additional error on parameters coming from covariance error
- Need a few 1000s simulations to reduce this error to acceptable levels for future surveys
- Not possible with full N-body simulations (too costly)

APPROXIMATE METHODS FOR COVARIANCE ESTIMATION

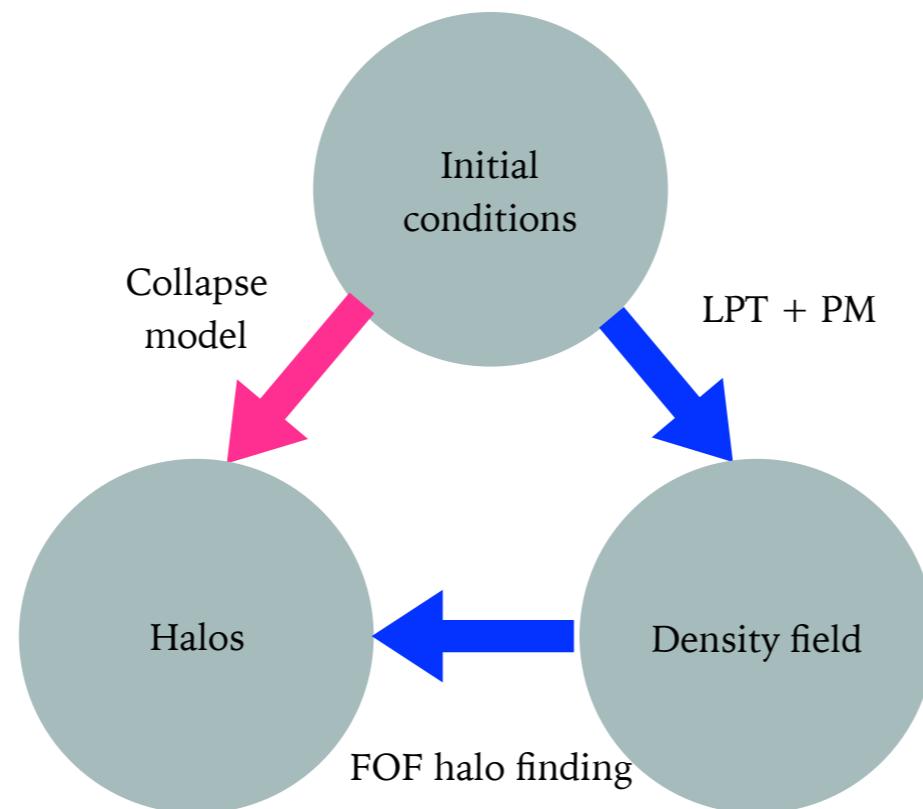
- Benchmark: Minerva simulations
 - 300 realisations
 - $L_{\text{box}} = 1.5 \text{ Gpc}/h$
 - $m_p = 2.67 \times 10^{11} M_\odot/h$
- Approximate methods: matching ICs
- Measurements: 2-pt correlation function multipoles and wedges, power spectrum multipoles, bispectrum real space and monopole
- Propagate errors to cosmological parameters through likelihood analysis

COMPARED METHODS

- One **fast** PM method: ICE-COLA
- Two **predictive** methods: Pinocchio, PeakPatch
- Two **calibrated** methods: Patchy, Halogen
- Two density PDF assumptions: Gaussian, **Lognormal**

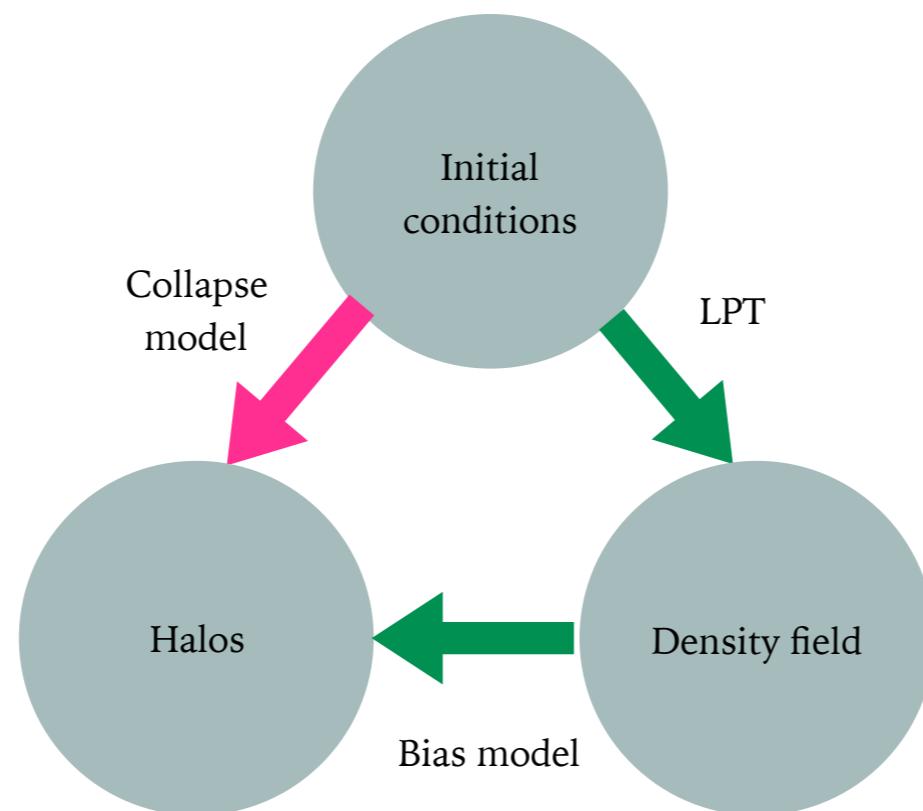
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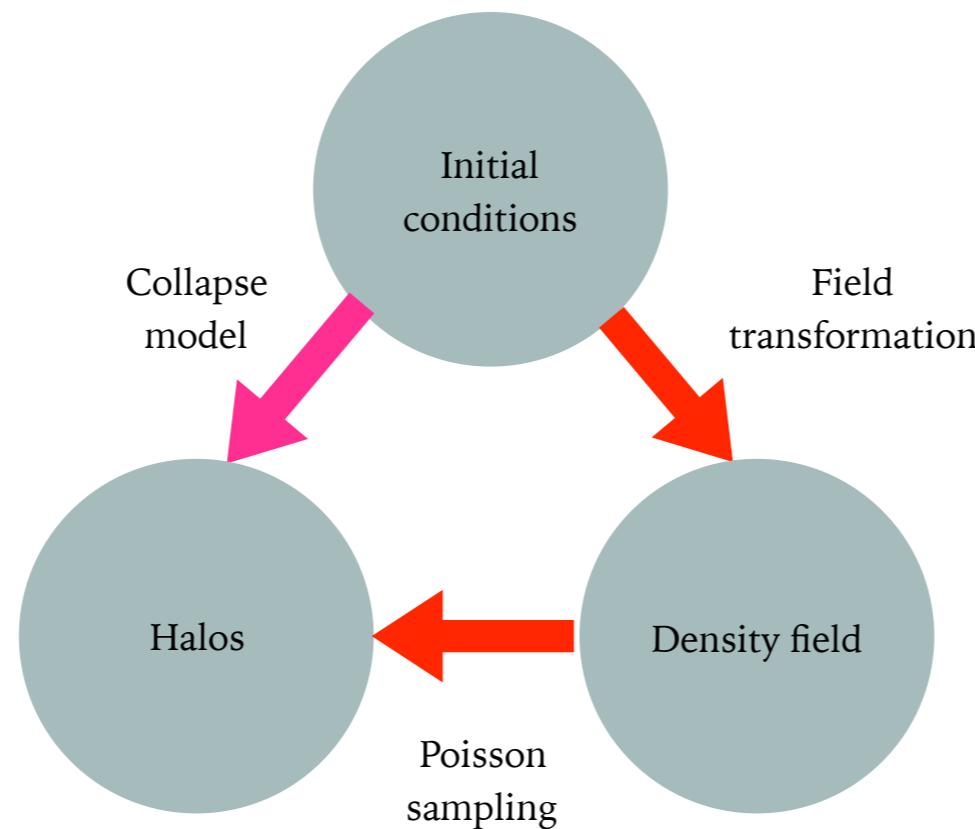
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Method	Computational requirements	Mock characteristics
Minerva (N-body)	4500 hours(/2) 660 Gb	Gadget (treePM) 1000^3 particles
ICE-COLA	66 hours(/2) 340 Gb	1000^3 particles $(3 \times 1000)^3$ PM grid
Pinocchio	6.4 hours 256 Gb	1000^3 particles
PeakPatch	1.72 hours* 75 Gb*	1000^3 particles
Halogen	0.6 hours 44 Gb	768^3 particles 300^3 grid
Patchy	0.2 hours 15 Gb	500^3 particles 500^3 grid
Lognormal	0.1 hours 5.6 Gb	256^3 grid

* do not resolves smaller mass halos

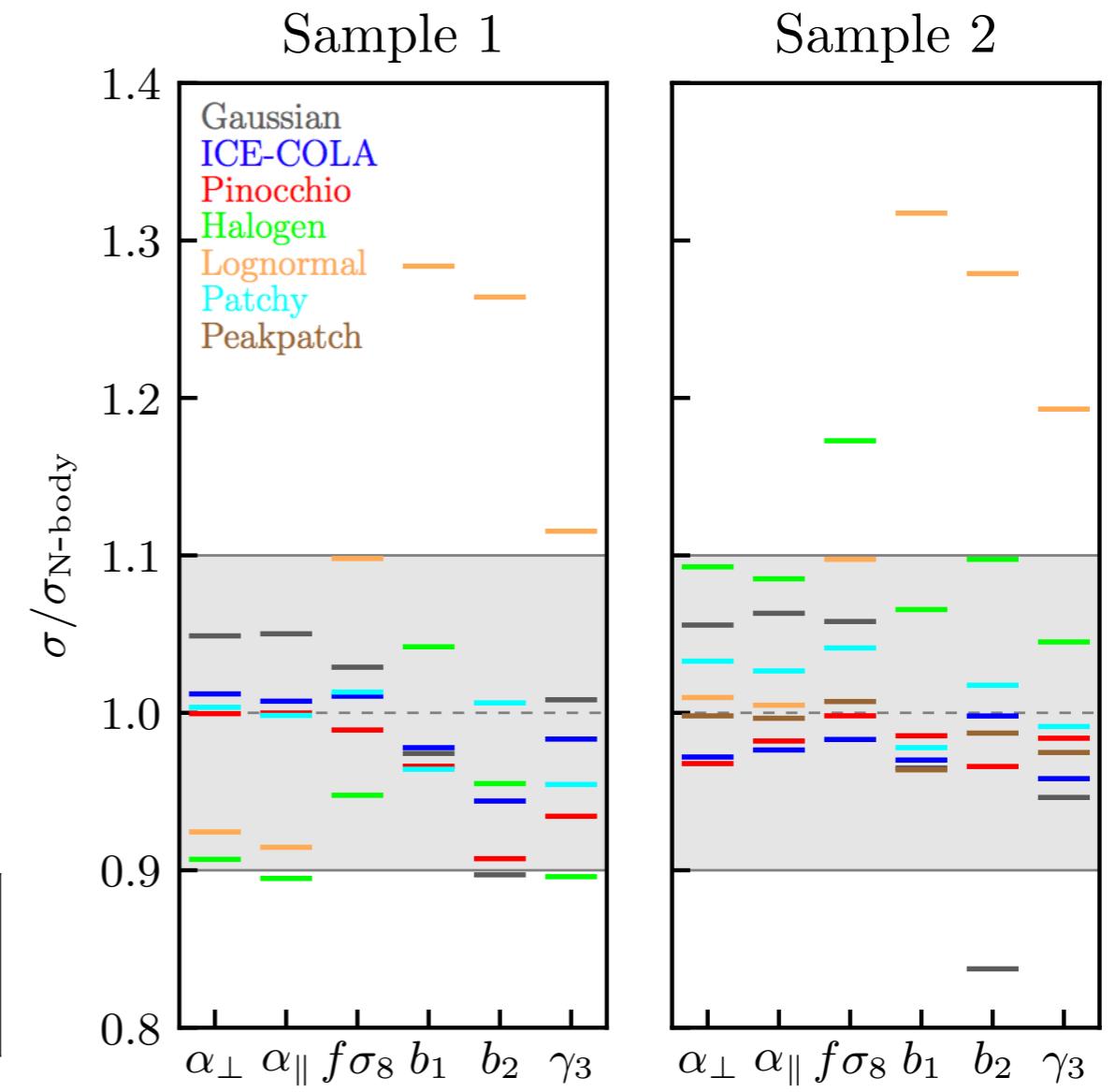
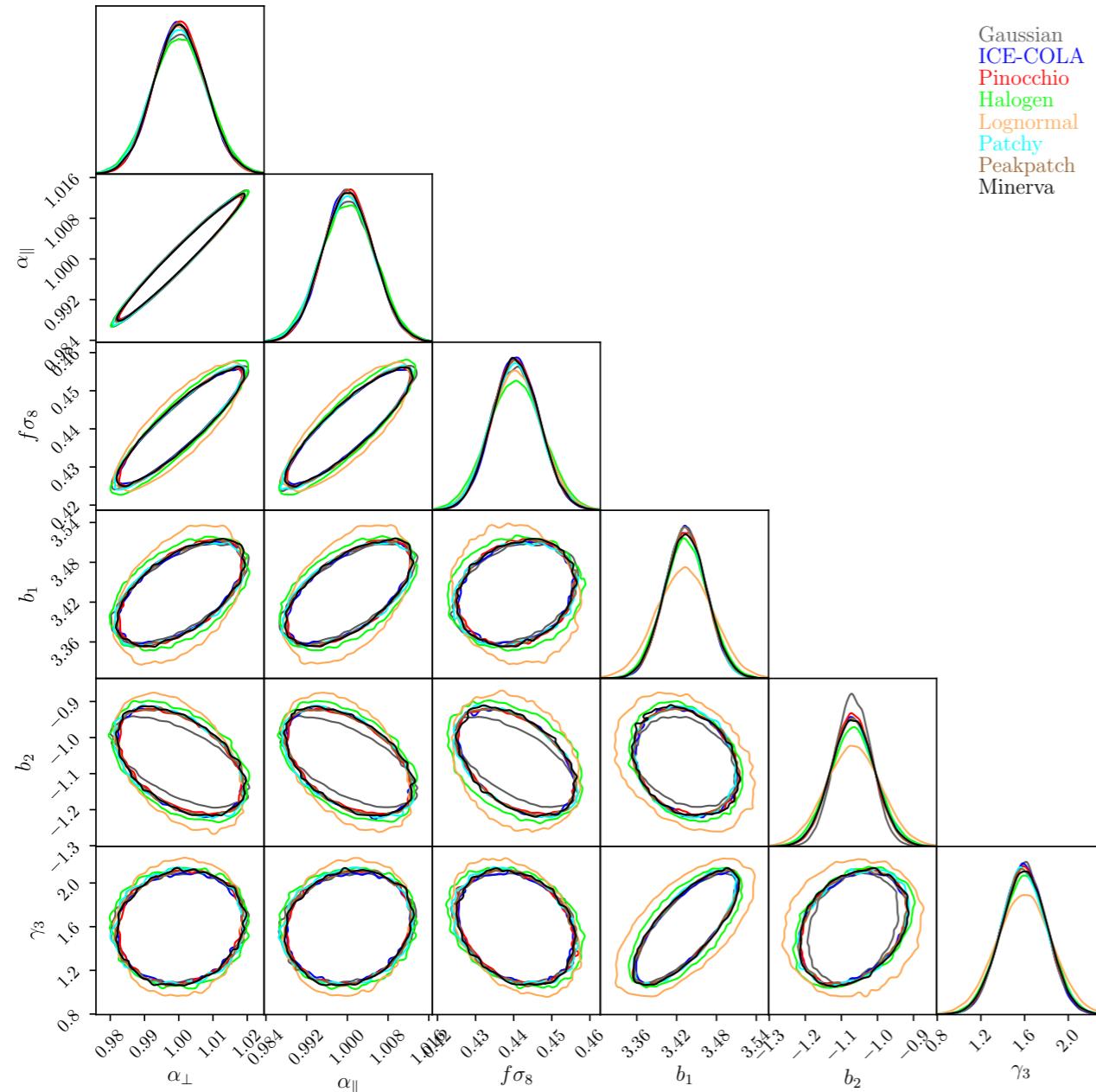
SAMPLES

Halo samples at $z=1$

Method	\bar{n}_{halos} ($h^3 \text{Mpc}^{-3}$)	M_{min} ($h^{-1} M_\odot$)
Sample 1		
N-body	2.130×10^{-4}	1.121×10^{13}
ICE-COLA	2.123×10^{-4}	1.086×10^{13}
PINOCCHIO	2.148×10^{-4}	1.044×10^{13}
HALOGEN	2.138×10^{-4}	1.121×10^{13}
Lognormal	2.131×10^{-4}	1.121×10^{13}
PATCHY	2.129×10^{-4}	1.121×10^{13}
Sample 2		
N-body	5.441×10^{-5}	2.670×10^{13}
ICE-COLA	5.455×10^{-5}	2.767×10^{13}
PINOCCHIO	5.478×10^{-5}	2.631×10^{13}
HALOGEN	5.393×10^{-5}	2.670×10^{13}
Lognormal	5.441×10^{-5}	2.670×10^{13}
PATCHY	5.440×10^{-5}	2.670×10^{13}
PEAKPATCH	5.439×10^{-5}	2.355×10^{13}

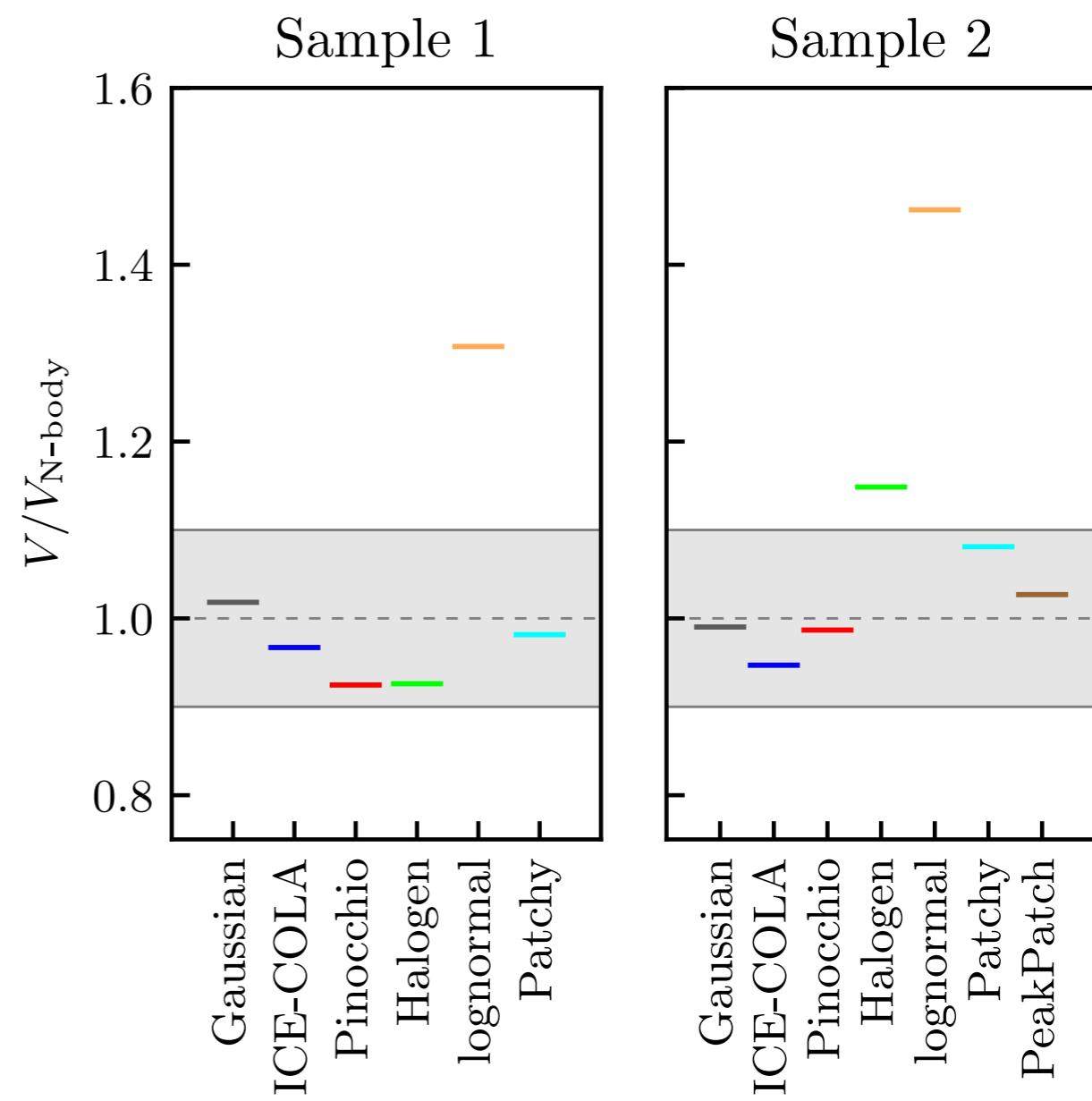
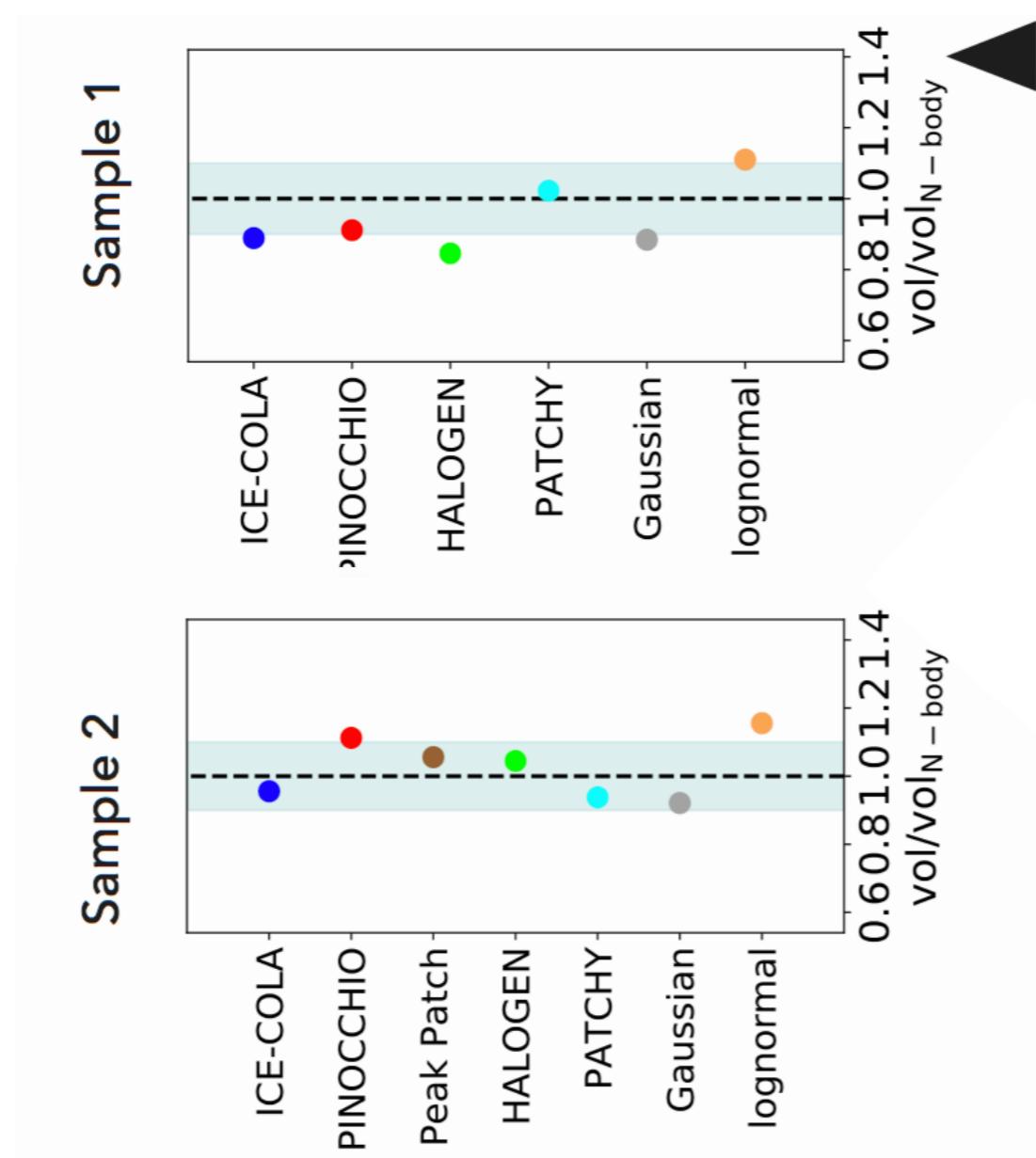
From Euclid redbook:
 $1.81 \times 10^{-3} h^3 \text{ Mpc}^{-3}$

APPROXIMATE METHODS FOR COVARIANCE ESTIMATION

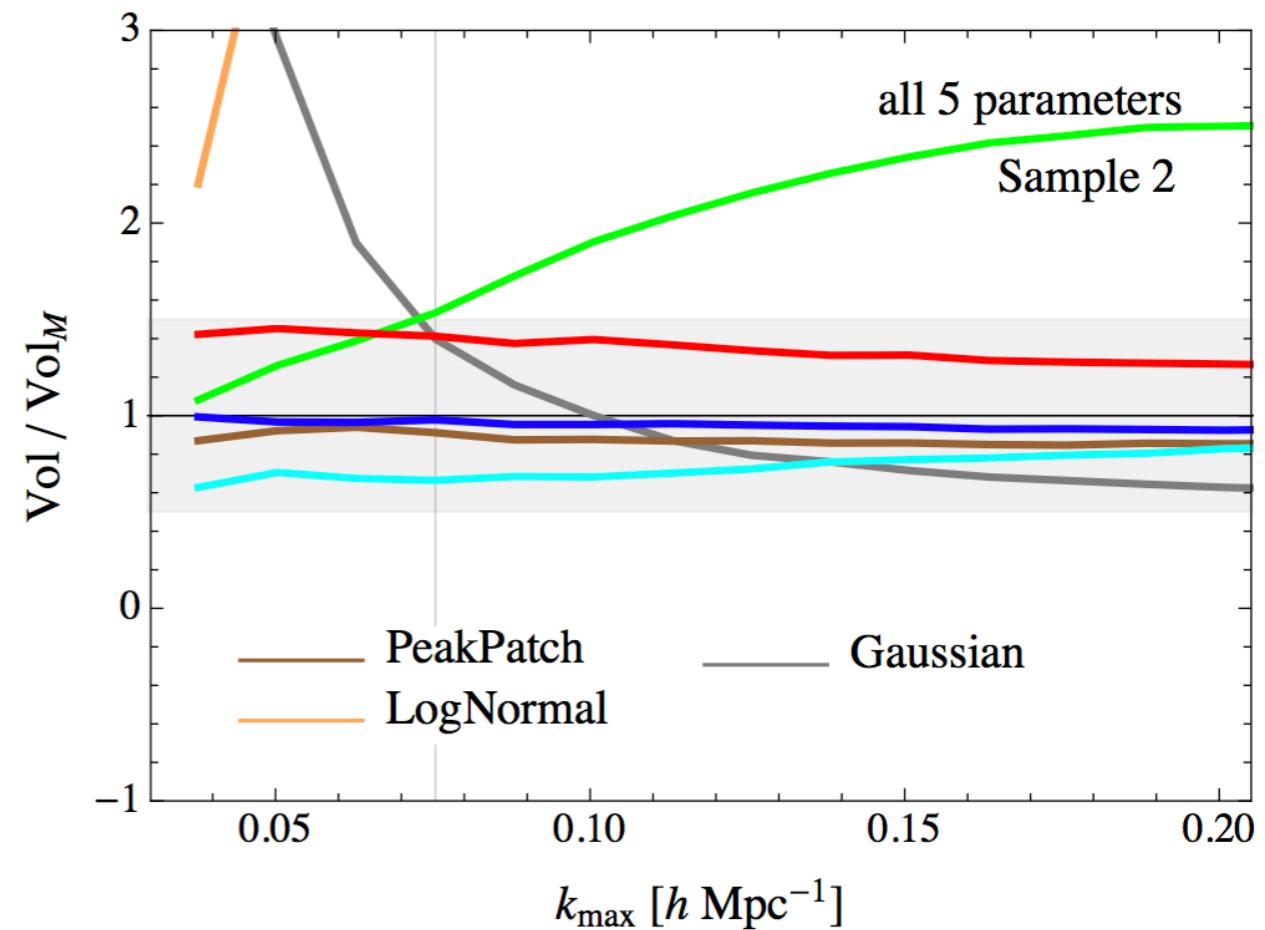
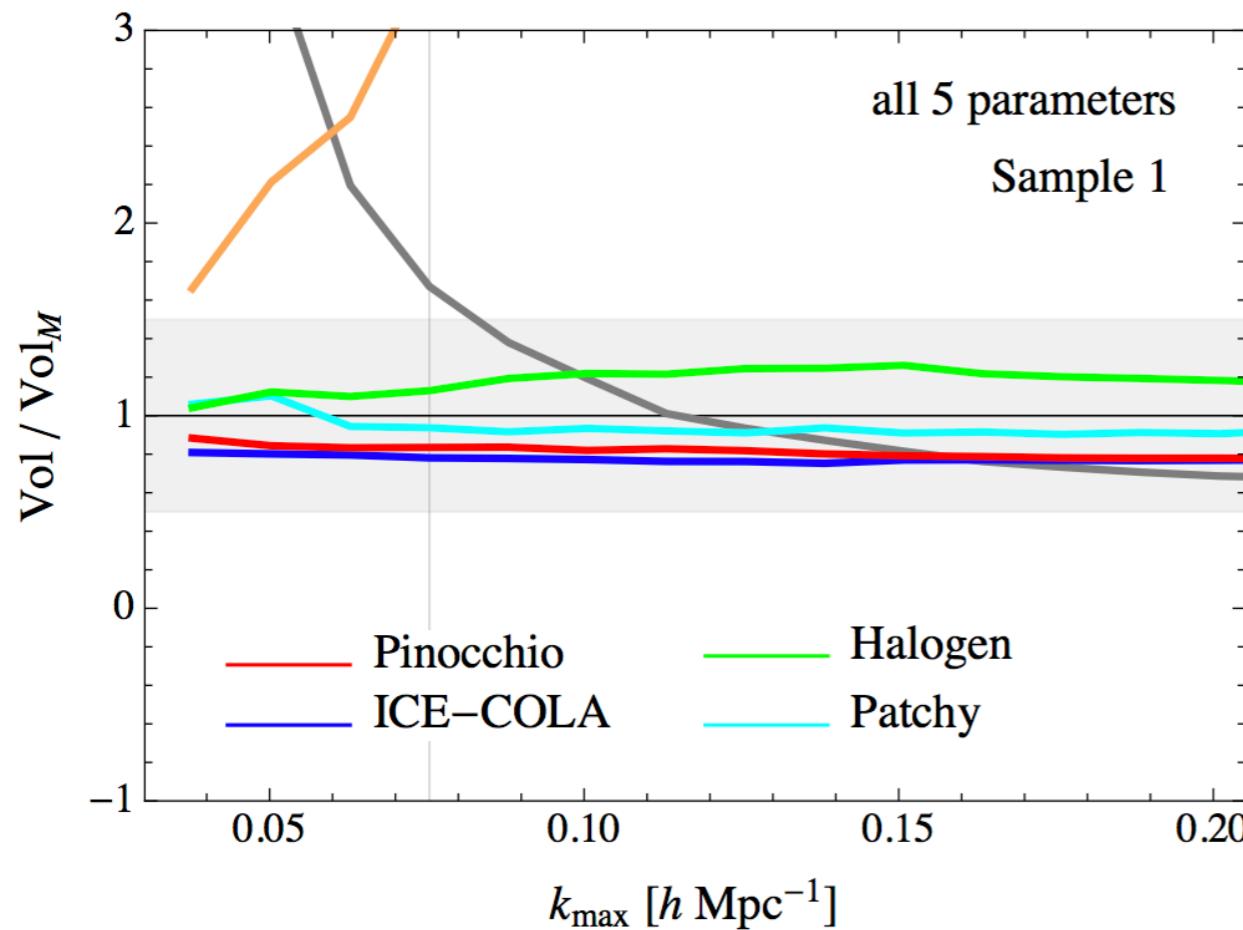


APPROXIMATE METHODS FOR COVARIANCE ESTIMATION

$$V = \sqrt{\det \text{cov}(\alpha_{\parallel}, \alpha_{\perp}, f\sigma_8)}$$



APPROXIMATE METHODS FOR COVARIANCE ESTIMATION



CONCLUSIONS

- Simulations are fundamental for LSS analysis
- Computational cost is the main limiting factor
- Simulations have systematics
- Approximate methods look promising to estimate covariances

FOOD FOR THOUGHTS

- How to secure computing time for yet another (thousands) LCDM simulation
- Cosmological simulations should be in the budget of cosmological surveys!
- Many upcoming surveys with similar goals: sharing simulation data?
- Need more interactions with software engineers